**TABLE 1.** Description of the input concentrations and of the program output. See "**Model Reactions**" for parameter definitions and [1] for more details.

## **Concentration Description**

[ATP]	Concentration of ATP
[ADP]	Concentration of ADP
[ <i>Pi</i> ]	Concentration of inorganic phosphate
[ <i>P</i> ]	Concentration of free profilin (not bound to G-actin)

## Variable Description

- $A_c$  Actin critical concentration. At steady state,  $A_c$  is equal to the total concentration of free monomeric actin (sum of all nucleotide forms):  $A_c = [T] + [D + [I] + [A]$  (see "**Model Reactions**")
- $k_{ON}$  net rate of polymerization per filament or steady state flux of the subunit exchange:  $k_{ON} = k_{OFF}$
- *g<sub>f</sub>* Fraction of filament ends free (not bound to profilin, sum of all nucleotide forms)

 $k_1 = k_{Pi_+} \cdot [Pi]$  $k_2 = k_{Pi_-}$ 

# Fractions of different nucleotide forms in the free monomeric actin pool

$r_A$	$= [A] / [A_c]$	fraction of the form <i>A</i> in the free monomeric actin pool
$r_T$	$= [T] / [A_c]$	fraction of the form <i>T</i> in the free monomeric actin pool
$r_I$	$= [I] / [A_c]$	fraction of the form <i>I</i> in the free monomeric actin pool
<i>r</i> <sub>D</sub>	$= [D] / [A_c]$	fraction of the form <i>D</i> in the free monomeric actin pool

### **Acceleration factors**

$S_H$	$= r_{He} \cdot (1 + r_H \cdot [P] / K_{dbT})$
$S_{Pi}$	$= r_{Pie} \cdot (1 + r_{Pi} \cdot [P] / K_{dbI})$
SA	$= (1 + r_{A+} \cdot [P] / K_{dA}) = (1 + r_{A-} \cdot [P] / K_{dbA})$
$S_T$	$= (1 + r_{T_{+}} \cdot [P] / K_{dT}) = (1 + r_{T_{-}} \cdot [P] / K_{dbT})$
$S_I$	$= (1 + r_{I+} \cdot [P] / K_{dI}) = (1 + r_{I-} \cdot [P] / K_{dbI})$
$S_D$	$= (1 + r_{D+} \cdot [P] / K_{dD}) = (1 + r_{D-} \cdot [P] / K_{dbD})$

# Factors defining binding of profilin the barbed ends of the corresponding type

$q_A$	$= (1 + [P] / K_{dbA})$
$q_T$	$= (1 + [P] / K_{dbT})$
$q_I$	$= (1 + [P] / K_{dbl})$
$q_D$	$= (1 + [P] / K_{dbD})$

#### Critical concentrations for pure forms

$A_{cA}$	critical o	concentrations	for pure	A form:	$A_{cA} =$	$k_{A-}/k_{A}$	A+
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- $A_{cT}$  critical concentrations for pure *T* form:  $A_{cT} = k_{T-}/k_{T+}$
- $A_{cI}$  critical concentrations for pure *I* form:  $A_{cI} = k_{I-}/k_{I+}$

 $A_{cD}$  critical concentrations for pure *D* form:  $A_{cD} = k_{D-}/k_{D+}$ 

#### Fractions of different nucleotide forms in the free barbed ends pool

$g_T$	fraction of the uncapped ATP-bound ends in the uncapped (free) ends pool
$g_D$	fraction of the uncapped ADP-bound ends in the uncapped pool
g <sub>I</sub>	fraction of the uncapped ADP-Pi-bound ends in the uncapped pool
$g_A$	fraction of the uncapped nucleotide-free ends in the uncapped pool

### Model variables

(see [1] for details and the other output variables including indexed factors *f*, *C*, and *U*)

α β	$= S_H + g_f^{-1} \cdot \lambda/(1-\lambda);$ = $S_{Pi} + g_f^{-1} \cdot \delta/(1-\delta);$
$\lambda \ \delta$	$= 1 - (k_H / (2 \cdot k_{ON})) \cdot ((1 + 4 \cdot k_{ON} / k_H)^{1/2} - 1) = 1 - ((k_1 + k_2) / (2 \cdot k_{ON})) \cdot ((1 + 4 \cdot k_{ON} / (k_1 + k_2))^{1/2} - 1)$
$egin{array}{c} \gamma \ \psi \ \phi \end{array}$	$= \frac{k_2 \cdot (S_{Pi} - S_H)}{(k_H - k_1)}$ = $\frac{k_1}{(k_1 + k_2)}$ = $\frac{(k_H - k_1)}{(k_H - (k_1 + k_2))} = \frac{(1 + k_2)}{(k_H - (k_1 + k_2))}$
Niter	number of iterations used to achieve desired accuracy

Please check for updates: we plan to update our output for a more user-friendly list more relevant to the physical properties of actin filament and polymerization mechanisms

1. Yarmola, E.G., Dranishnikov, D.A. and Bubb, M.R. 2008. Effect of Profilin on Actin Critical Concentration: A Theoretical Analysis. *Biophys. J.* 95: 5544–5573.